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## PION BROADENING AND LOW-MASS DILEPTON PRODUCTION

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Mass and transverse momentum spectra of dileptons produced in Pb + Au (158 GeV/u) collisions are determined within a pion annihilation model. A fit to the data requires simultaneous mass reduction and broadening of the in-medium  $\rho$  propagator. The introduction of a finite pion width, as required within self-consistent approaches to the interacting pion gas, further improves the agreement with the data.

Рассчитаны спектры масс и поперечных импульсов дилептонов, рожденных в соударениях ядер Pb + Au (158 ГэВ/у), в рамках модели аннигиляции пионов. Фит данных требует одновременно уменьшения массы и уширения пропагатора  $\rho$ -мезона в среде. Введение конечной ширины пиона, как это требуется в самосогласованных подходах к взаимодействующему пионному газу, приводит к дальнейшему улучшению согласия с данными.

### INTRODUCTION

Since a couple of years the experimental study of dilepton production in relativistic heavy ion collisions is becoming more and more detailed. Besides the usual mass spectrum, the latest results of the CERES collaboration comprise also information on the transverse momenta of the produced dileptons in Pb + Au (158 GeV/u) collisions [1,2].

Since several hundreds of pions are produced in such a collision, it is clear that pion annihilation during the hot and dense initial phase plays a dominant role for low-mass dilepton production, apart from the known contributions due to single meson Dalitz decays after freeze-out. From the previous analyses it is indeed well known that a major part of the observed dilepton «excess» can be attributed to pion-pion annihilation in the dense medium that is created during the collision. However, the experimental electron pair mass spectrum can only be explained by assuming a modification of the  $\rho$  meson mass and/or width in the medium [3–10].

Apart from the knowledge of in-medium meson properties, the theoretical models require assumptions about the space-time development of the collision. Usually rather elaborate transport simulations or hydrodynamical models are used [4–6]. A much cruder, but very transparent way, is to employ an idealized standard scenario, allowing to test easily some qualitative assumptions about the dilepton production mechanism. In this article we confront the latest experimental results to theoretical predictions of such a «standard model» of the space-time evolution of an ultrarelativistic heavy ion collision, namely the Bjorken picture of a purely longitudinal expansion [9–11], involving an initial quark-gluon plasma (QGP) phase, an intermediate mixed phase, and a final hadronic (pion gas) phase.

This model involves essentially four parameters, namely the temperatures  $T_i$ ,  $T_c$ , and  $T_f$ , specifying the initial, critical, and freeze-out temperatures; as well as the ratio  $r$  of degrees of freedom in the quark and hadronic phase, respectively. As in Ref. 9, we use  $r = 37/3$  (two flavor quark-gluon plasma versus pion gas) and the temperatures  $T_i = 250$  MeV,  $T_c = 160$  MeV, whereas we fix  $T_f = 140$  MeV, between the extreme cases of 120 and 150 MeV that were discussed in Ref. 9. The precise values of these parameters are perhaps not so important as other fundamental assumptions of the model, such as purely longitudinal expansion and the idealization of pure quark and pion phases. We feel, however, that all these factors mainly influence the overall normalization of the resulting dilepton spectrum and not so much its spectral shape, which is of major interest in the following theoretical analysis.

### 1. FORMALISM

We begin with a short review of the relevant expressions. The total dilepton production rate due to pion annihilation in lowest order of the electromagnetic interaction can be written as

$$\frac{dN_{l+l-}}{d^4x}(x) = \int_1 \int_2 \int_3 \int_4 f^+(p_1, x) f^-(p_2, x) (2\pi)^4 \delta^4(p_1 + p_2 - p_3 - p_4) |M_{\text{fi}}|^2 \quad (1)$$

with

$$\int_i \equiv \int \frac{d^3p_i}{(2\pi)^3 2E_i} = \frac{1}{(2\pi)^3} \int d^4p_i \theta(p_i^0) \delta(p_i^2 - m_i^2) \quad (2)$$

and the thermal pion distributions

$$f^\pm(p, x) = \frac{1}{\exp[pu(x)/T(x)] - 1}, \quad (3)$$

where  $T(x)$  is the local temperature in the fluid element moving with four velocity  $u(x)$ . The matrix element

$$|M_{\text{fi}}|^2 = l_{\mu\nu}(p_3, p_4) \frac{e^4}{q^4} h^{\mu\nu}(p_1, p_2), \quad q = p_1 + p_2 = p_3 + p_4 \quad (4)$$

can be specified in terms of the hadronic (initial state) and leptonic (final state) tensors,

$$h^{\mu\nu}(p_1, p_2) = -|F_\pi(q^2)|^2 (p_1 - p_2)^\mu (p_1 - p_2)^\nu, \quad (5)$$

$$l^{\mu\nu}(p_3, p_4) = 4 [p_3^\mu p_4^\nu + p_4^\mu p_3^\nu - (p_3 p_4 + m_l^2) g^{\mu\nu}], \quad (6)$$

where  $m_l$  is the lepton mass and  $F_\pi$  is the experimentally known pion form factor. At this stage the vacuum matrix element is used, without any modification due to medium effects.

Defining

$$H^{\mu\nu}(q, x) \equiv \int_1 \int_2 (2\pi)^4 \delta^4(p_1 + p_2 - q) h^{\mu\nu}(p_1, p_2) f^+(p_1, x) f^-(p_2, x), \quad (7)$$

$$L_{\mu\nu}(q) \equiv \int_3 \int_4 (2\pi)^4 \delta^4(p_3 + p_4 - q) l_{\mu\nu}(p_3, p_4) = (q^2 g_{\mu\nu} - q_\mu q_\nu) \frac{L(q^2)}{6\pi}, \quad (8)$$

$$L(q^2) \equiv \theta(q^2 - 4m_l^2) \left(1 + \frac{2m_l^2}{q^2}\right) \sqrt{1 - \frac{4m_l^2}{q^2}}, \quad (9)$$

the differential rate for the production of dileptons with four-momentum  $q$  at the space-time point  $x$  can be written as

$$\begin{aligned} \frac{dN_{l+l^-}}{d^4x d^4q}(q, x) &= \frac{1}{(2\pi)^4} L_{\mu\nu}(q) \frac{e^4}{q^4} H^{\mu\nu}(q, x) = \\ &= \frac{e^4}{(2\pi)^4} \frac{L(q^2)}{6\pi} |F_\pi(q^2)|^2 \frac{4k^2}{q^2} \int_1 \int_2 (2\pi)^4 \delta^4(p_1 + p_2 - q) f^+(p_1, x) f^-(p_2, x) \end{aligned} \quad (10)$$

with

$$\frac{4k^2}{q^2} = \theta[M^2 - (m_1 + m_2)^2] \left(1 - \frac{(m_1 + m_2)^2}{M^2}\right) \left(1 - \frac{(m_1 - m_2)^2}{M^2}\right), \quad (11)$$

where  $M^2 = q^2$  and  $k$  is the centre-of-mass ( $q = 0$ ) momentum of the two colliding pions with squared mass  $m_i^2 = p_i^2$ .

The expected number of lepton pairs per collision is then:

$$\begin{aligned} \frac{dN_{l+l^-}}{d^4q}(q) &= \frac{e^4}{(2\pi)^4} \frac{L(q^2)}{6\pi} |F_\pi(q^2)|^2 \frac{4k^2}{q^2} \times \\ &\times \int_1 \int_2 (2\pi)^4 \delta^4(p_1 + p_2 - q) \int d^4x f^+(p_1, x) f^-(p_2, x). \end{aligned} \quad (12)$$

Therefore the problem is reduced to the evaluation of the integral of the distribution functions over space-time. Within the Boltzmann approximation ( $f^\pm(p, x) \approx \exp[-pu(x)/T(x)]$ , valid for  $M \gg T$ ), these integrations can even be performed analytically [9, 12], leading to

$$\frac{dN_{l+l^-}}{d^4q}(q) = \frac{e^4}{(2\pi)^4} \frac{L(q^2)}{6\pi} |F_\pi(q^2)|^2 \frac{H(q^2)}{8\pi} \int_{\text{pion phase}} d^4x e^{-qu(x)/T(x)} \quad (13)$$

with

$$H(q^2) = \left(\frac{4k^2}{q^2}\right)^{3/2} = \theta(q^2 - 4m_\pi^2) \left(1 - \frac{4m_\pi^2}{q^2}\right)^{3/2}, \quad (m_1^2 = m_2^2 = m_\pi^2) \quad (14)$$

and

$$\int_{\text{pion phase}} d^4x e^{-qu(x)/T(x)} = 6\pi R^2 \tau_c^2 \left( \frac{r(r-1)}{6} K_0(z_c) + \frac{r^2}{z_c^6} [K(z_c) - K(z_f)] \right), \quad (15)$$

where  $R$  is the effective radius of the reaction zone;  $\tau_c$  is the proper time corresponding to the beginning of the phase transition;  $M_T = \sqrt{M^2 + q_T^2}$  is the transverse mass of the dilepton;  $z = M_T/T$ ;  $K(z) = (z^2 + 8)z^3 K_3(z)$ , and  $K_0$  and  $K_3$  are Bessel functions. The overall normalization is fixed by the condition for an isentropic expansion,  $\pi R^2 \tau T^3 = \kappa dN_\pi/dy$ , with  $\kappa \approx 0.22$  for an  $SU_F(2)$  plasma. One arrives finally at the dilepton spectrum due to

pion annihilation:

$$\frac{dN_{l^+l^-}}{dM dq_T dy}(M, q_T) = \frac{\alpha^2}{8\pi^4} \left( \frac{\kappa dN_\pi/dy}{R} \right)^2 \frac{M q_T}{M_T^6} L(q^2) H(q^2) |F_\pi(q^2)|^2 \times \\ \times \left( \frac{r(r-1)}{6} z_c^6 K_0(z_c) + r^2 [K(z_c) - K(z_f)] \right). \quad (16)$$

Keeping, however, the Bose distributions in Eq.(12), or in any case for a temperature-dependent form factor, the space-time integrations have to be carried out numerically, as described in detail in Ref. 9. In this case one can make use of the analytical result for the phase-space integral appearing in Eq.(10):

$$\int_1 \int_2 (2\pi)^4 \delta^4(p_1 + p_2 - q) f^+(p_1, x) f^-(p_2, x) = \\ = \frac{T}{8\pi\bar{q}} \frac{1}{\exp(E/T) - 1} \ln \left[ \frac{\cosh(\omega_+/T) - \cosh(\delta/T)}{\cosh(\omega_-/T) - \cosh(\delta/T)} \right] \quad (17)$$

with

$$\omega_\pm = \frac{E}{2} \pm \frac{2k\bar{q}}{M}, \quad (18)$$

$$\delta = \frac{m_1^2 - m_2^2}{M^2} \frac{E}{2}, \quad (19)$$

where  $E = qu(x)$  is the dilepton energy, and  $\bar{q} = \sqrt{E^2 - M^2}$  is the three-momentum component of  $q$  in the production fluid element moving with four-velocity  $u$ .

The previous expressions concern dileptons stemming from the pion phase. One has to add the contribution due to quark-antiquark annihilation that we have not written down explicitly [9, 10, 12], because it is not concerned by the considerations in this paper. In order to compare with the experimental mass and transverse momentum spectra, the sum of the two parts has then to be multiplied with the relevant experimental acceptance function  $A(M, q_T)$  and folded with the experimental mass resolution, see Ref. 9. Finally the experimentally determined contribution due to decays of mesons produced (by string fragmentation) during the primary nucleon–nucleon collisions («cocktail») has to be added. We discuss now the results obtained after this procedure.

## 2. RESULTS

A first glance at the experimental data (markers in Fig. 1) in comparison to the expectation from primary meson decays (dotted line) shows that practically all excess dileptons that are produced in the reaction zone are required to fall within the mass region [200, 600] MeV. In particular close to the bare  $\rho$  mass ( $\approx 800$  MeV), practically no additional contribution is required. This fact indicates already a substantial modification of the in-medium pion form factor, which is indeed confirmed by our theoretical result using the vacuum pion form factor (solid curve), which largely overshoots the experimental results in the  $\rho$ -mass region. An

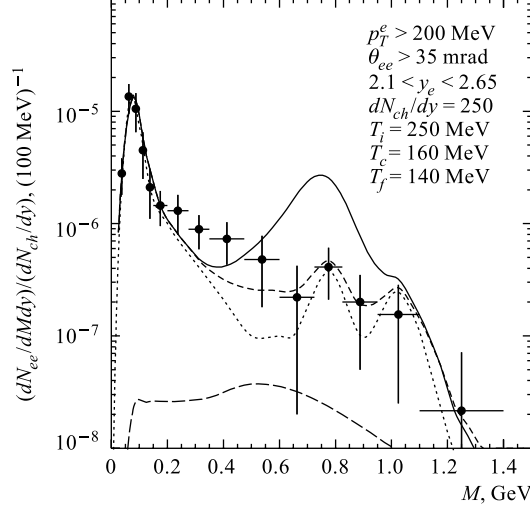


Fig. 1. The dilepton mass spectrum evaluated with a free-space (solid line, total,  $F_\pi = F_\pi(0)$ ) or a Born (dot-dashed line, total,  $F_\pi = 1$ ) pion form factor. The theoretical predictions involve acceptance and resolution corrections, and the primary meson decay contribution (dotted line, hadron decays) is added. The dashed line (QCP) shows separately the contribution of  $q\bar{q}$  annihilation in the quark and mixed phase. The data points and the meson decay contribution are taken from Ref. 2

evaluation using the pure Born cross section, i. e., setting tentatively  $F_\pi = 1$  (dot-dashed curve) yields instead a fair agreement in the  $\rho$ -mass region with, however, missing strength at lower mass. It is therefore clear that necessarily a substantial reduction of the  $\rho$ -meson mass in the medium is required in order to reproduce the experimental data.

Since in our model all excess dileptons stem from a pion gas phase with a small variation of temperature between  $T_c = 160$  MeV and  $T_f = 140$  MeV, we neglect even the detailed dependence on temperature and rather attempt to construct an effective in-medium pion form factor of the standard functional form

$$|F_\pi(M)|^2 = \frac{C m_\rho^4}{(M^2 - m_\rho^2)^2 + m_\rho^2 \Gamma_\rho^2} \quad (20)$$

that allows one to reproduce the experimental data. The constants  $m_\rho$ ,  $\Gamma_\rho$ , and  $C$  are now considered as free parameters and allowed one to deviate from their vacuum values  $m_\rho^0 = 0.76$  GeV,  $\Gamma_\rho^0 = 0.135$  GeV, and  $C^0 = 1.3$ . Indeed we find that a choice of  $m_\rho = 0.4m_\rho^0$ ,  $\Gamma_\rho = 2\Gamma_\rho^0$ , and  $C = 7C^0$  allows a very reasonable fit of the data, shown in Fig.2 (solid line). Thus a simultaneous modification of centroid (reduction by a factor 2...3) and width (increase by about a factor 2) of the pion form factor is required; we found that changing only one of them does not yield satisfactory results. The comparison of the resulting effective in-medium and the vacuum pion form factor is shown in Fig.3. As commented before, due to the strong simplifications made for the space-time evolution, the overall normalization ( $C$ ) of the in-medium form factor should not be taken too serious, however, whereas the modifications of centroid and width are more robust features. We also remark at this point that in the present model the contribution of dileptons from the quark-

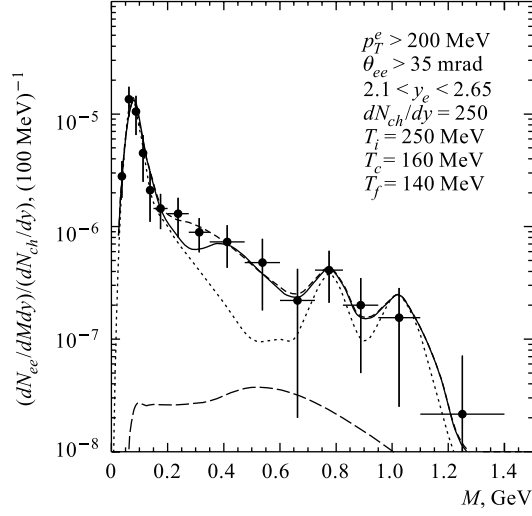


Fig. 2. As Fig. 1, but with the in-medium pion form factor (solid line, total), and additionally assuming a finite pion width (dot-dashed line, total,  $\Gamma_\pi = 100$  MeV)

gluon plasma (produced during the initial phase and the mixed phase) is negligible [8,9,13,14], as shown by the dashed line in Figs. 1 and 2. This is mainly due to the short duration and the small volume of this phase compared to the pion phase.

After discussing the mass spectrum of electron pairs, we come now to the distribution of transverse momenta. Figure 4 shows the experimental values (in the mass interval of interest  $250 < M < 680$  MeV) in comparison with our theoretical prediction (solid line).

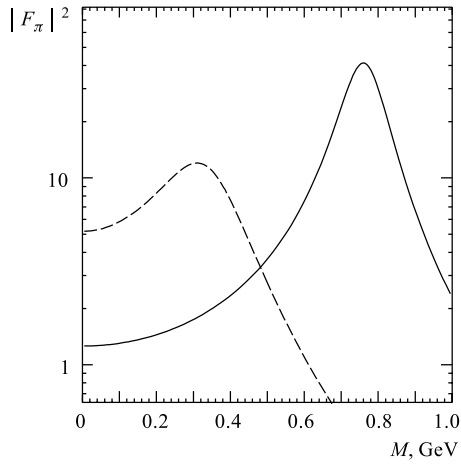


Fig. 3. Free-space (solid line) and in-medium (dashed line) pion form factor

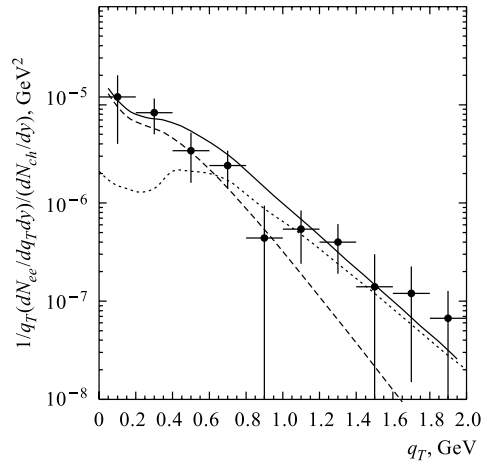


Fig. 4. The dilepton transverse momentum spectrum: total (solid line); pion annihilation (dashed line); hadron decays (dotted line)

The good agreement is indeed remarkable, given the fact that in our model the transverse momentum of the dileptons is entirely due to the thermal motion of the colliding pions in the longitudinally expanding medium. This is the reason for the larger slope of the transverse momentum distribution of dileptons stemming from pion annihilation (dashed line) compared to the Dalitz dileptons (dotted line). The sum of both results is in fair agreement with the data. It seems thus that the transverse momenta of the dileptons reveal no hint of a transverse expansion of the reaction zone.

The in-medium pion annihilation contribution to the dilepton mass spectrum is naturally cut off at the two-pion threshold, and leaves therefore a small dip in the theoretical curves around  $M \approx 300$  MeV (solid lines in Figs. 1 and 2).

A natural remedy would be a decrease of the pion mass in the medium, for which, however, there is so far no solid theoretical foundation. In this article we rather explore the consequences of introducing empirically a finite damping width of the pion, due to resonant pion rescattering in the medium.

This effect was studied in Ref. 15 within chiral perturbation theory and in Ref. 16 within the linear sigma model as an indication of the deconfinement phase transition. The occurrence of a finite pion damping width  $\Gamma_\pi \approx 50$  MeV is also well known in the  $\pi N\Delta$  system [17] and is also expected to occur in a hot dense pion gas, due to the strong coupling to the  $\rho$  and  $a_1$  resonances. Within a simple field theoretical model for this system, motivated by a quartic self-coupling of the pions, van Hees and Knoll [18] have shown how the self-consistent equations of motion can be derived using Baym's  $\Phi$  functional approach [19]. As a result of these models, a temperature and momentum dependent pion width has been obtained [20], which in the relevant domain of  $T \approx 150$  MeV amounts to  $\Gamma_\pi \approx 50 \dots 100$  MeV.

We therefore assume a Gaussian pion mass distribution of width  $\Gamma_\pi$ ,

$$g_\pi(m) = \frac{1}{\sqrt{2\pi}\Gamma_\pi} \exp\left[-\frac{(m - m_\pi)^2}{2\Gamma_\pi^2}\right], \quad (21)$$

and naively generalize Eq. (13) to the reaction of two pions with different masses,  $\pi(m_1) + \pi(m_2) \rightarrow \gamma(q)$ . This is achieved by replacing the function  $H(q^2)$ , Eq. (14), by

$$H_{\Gamma_\pi}(q^2) = \int_0^\infty dm_1 g_\pi(m_1) \int_0^\infty dm_2 g_\pi(m_2) \theta[q^2 - (m_1 + m_2)^2] \times \\ \times \left[ \left(1 - \frac{(m_1 + m_2)^2}{q^2}\right) \left(1 - \frac{(m_1 - m_2)^2}{q^2}\right) \right]^{3/2}, \quad (22)$$

which is plotted in Fig. 5 for two choices of the pion width  $\Gamma_\pi = 50, 100$  MeV. The resulting dilepton spectrum for a value  $\Gamma_\pi = 100$  MeV (and form factor parameters  $m_\rho = m_\rho^0/3$ ,

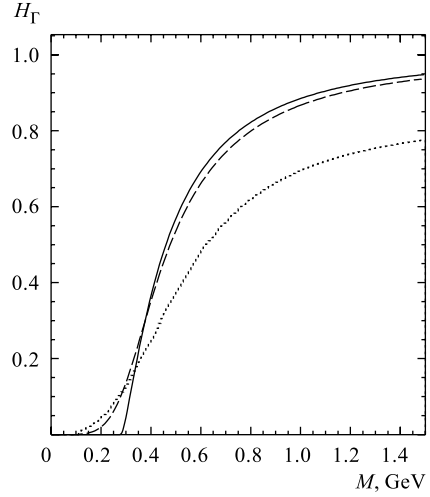


Fig. 5. Kinematic factor, Eq.(24): solid line — free,  $\Gamma_\pi = 0$ ; dashed line — in-medium,  $\Gamma_\pi = 50$  MeV; dotted line — in-medium,  $\Gamma_\pi = 100$  MeV

$\Gamma_\rho = 2\Gamma_\rho^0$ , and  $C = 40C^0$ ) is also shown in Fig. 2 (solid line). Indeed the introduction of a finite pion width can perfectly describe the spectrum also in the threshold region  $M \approx 2m_\pi$ .

Of course, there are other processes that could potentially contribute dileptons in this mass region around 300 MeV. In particular, we neglected completely the possible presence of baryons in the reaction zone and of baryon induced reactions like  $\rho N \rightarrow B$ , which might contribute in the low-mass region. Also possible mesonic rescattering of the  $\rho$  resonance,  $\rho\pi \rightarrow \pi e_+ e_-$ , has been disregarded [21]. However, since the mass spectrum below 200 MeV is perfectly reproduced by  $\pi_0$ ,  $\eta$ , and  $\eta'$  Dalitz decays [22], there is not much freedom for such additional «exotic» contributions, since these would dominantly contribute in this low-mass domain, which is on the contrary not the case for the pion width mechanism discussed above. Indeed also theoretical estimates of these processes predict too small rates [13, 23].

## CONCLUSIONS

In summary, the latest Pb + Au CERES data hint to a simultaneous reduction of the  $\rho$ -meson mass and an increase of its width in the dilepton production medium. Even if our model (Bjorken scenario) of the space-time evolution of the collision is rather idealized, we think that these qualitative conclusions based on the shape of the dilepton mass distribution can be drawn. The further ad-hoc introduction of a finite mass distribution of the interacting pions served to simulate the effect of a finite pion damping width, which is required for a consistent treatment of  $\rho$  mesons as decaying resonances in an interacting pion gas. It allowed us to reproduce the experimental results around the two-pion threshold even better.

Surprisingly, the transverse momenta of the dileptons were also rather well described by our model, and thus appear to reveal no hint on a transverse expansion of the reaction zone. Finally, dilepton production from an eventual QGP phase is negligible due to the short duration of such a phase, even if its existence is an assumption of the chosen theoretical model and influences indirectly, through a consistent time evolution, also the hadronic rates.

The present investigation can be improved by applying a more realistic hydrodynamical evolution which goes beyond the simple Bjorken scenario. The pion broadening should be considered within a definite microscopic model, so that its temperature and momentum dependence can be included into the calculation. Such a model should allow one to calculate the pion broadening consistently together with the  $\rho$ -meson spectral properties. Since already the simple calculation of the  $\rho$ -meson spectral function with on-shell pions in a hot pion gas yields a downwards shift of the  $\rho$ -meson mass by about 30 MeV [24], it can be expected that off-shell pions with about 100 MeV width could explain an even larger  $\rho$ -meson mass shift, which is inevitable in order to explain the new low-mass dilepton data of the CERES collaboration. The objective of this article was, however, the empirical determination of the characteristic magnitudes of the in-medium pion and  $\rho$ -meson parameters that should result from a theoretical model in order to explain the present experimental data.

The findings of our analysis may be carried over to a prediction of dilepton spectra for the conditions at RHIC, where our pion annihilation model together with the QCD phase transition and the suggested in-medium modifications of pion and  $\rho$ -meson properties will be appropriate.



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